An improved hybrid feature selection method for huge dimensional datasets

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ABSTRACT

High dimensions of data cause overfitting in machine learning models, can lead to reduction in accuracy during classification of instances. Variable selection is the most essential function in predictive analytics, that reduces the dimensionality, without losing an appropriate information by selecting a few significant features of machine learning problems. The major techniques involved in this process are filter and wrapper methodologies. While filters measure the weight of features based on the attribute weighting criterion, the wrapper approach computes the competence of the variable selection algorithms. The wrapper approach is achieved by the selection of feature subgroups by pruning the feature space in its search space. The objective of this paper is to choose the most favourable attribute subset from the novel set of features, by using the combination method that unites the merits of filters and wrappers. To achieve this objective, an Improved Hybrid Feature Selection (IHFS) method is performed to create well-organized learners. The results of this study shows that the IHFS algorithm can build competent business applications, which have got a better precision than that of the previous hybrid variable selection algorithms. Experimentation with UCI (University of California, Irvine) repository datasets affirms that this method have got better prediction performance, more robust to input noise and outliers, balances well with the available features, when performed comparison with the present algorithms in the literature review.

Keywords:
Feature selection, Hybrid approach, Machine learning, Overfitting, Predictive analytics, Variable selection

1. INTRODUCTION

The machine learning problems use the term curse of dimensionality to refer an exponential increase of more number of dimensions of features in a mathematical space [1]. High dimensional data is found to be a major problem identified in supervised and unsupervised learning. High dimensionality often entails high variance, leading to unstable learning outcomes. To produce stable learning in statistical models of higher dimensions, a large number of samples are required. Larger volumes result high variance, causing unstable learning outcomes. Larger calculation is enforced for dealing with high-dimensional datasets. Nowadays, it is becoming a big challenge to data scientists and business analysts. The increase of features leads to various problems like noise, error and overfitting [2]. It also leads to increase in computing cost, storing cost and make data mining a challenging task in various ways. The reduction in classification performance with number of features is shown in Figure 1. The most effective way to identify relevant features in machine learning is feature selection. To achieve more accurate prediction, the concept of relevant features is used in
more stable learning models. These models are easy to understand and apply. Feature selection (FS) is a critical procedure to identify related subsets of features for making accurate prediction in large dimensional datasets [3]. The merits of variable selection are multifold and application dependent.

![Figure 1. Classification performance Vs Dimensionality of features](image)

1.1. Background

Variable selection postulates of algorithms are broadly classified into three categories to measure relevance and redundancy of features. They are filter, wrapper, and hybrid methods. Filter methods adopt a measure of statistics to allocate a count for each and every features like numerical or continuous, nominal or discrete and class label values. Based on the count, the features are ranked and either preferred to be kept or eliminated from the dataset. This is seemed to be very simple and scale as the number of samples and dimensions increase. The filters are selected as the most productive method in comparison with wrapper and embedded methods having learning independence, ease of implementation, good generalization ability and better computations [3]. The limitation of filter methods is the features are calculated one by one. It also ignores the association among features and overlooks the collaboration with the learner.

The choice of a feature subset is performed in wrapper methods as a search problem [4]. Searching refers to global and local search. Global search searches distinctive areas in the search space, and searching in the local search space is local search. A broad classification of subset examination approaches may be systematic such as a BFS(Best First Search) and a stochastic search, such as random hill climbing algorithm, branch and bound, and evolutionary methods. The kinds of greedy search strategies are heuristics. They are forward stepwise selecting option, which includes variables gradually into increasing feature subsets and backward stepwise eliminating option begins from all variables and gradually remove the minimum favourable ones [4]. Among all, greedy search methods are more advantageous collectively and strong against overfitting. But, the wrapper method interacts with a classifier. It usually evaluates the features conjointly and considers the contingency among them to select the most ideal features against the existing features set. Disadvantages of wrappers entail more expense computationally than the rest of the methods. It consumes more time, more vulnerable to cause overfitting, and more learning dependency. For this reason, hybrid methods are adopted to enhance the search algorithm. Hybrid strategies are more or less related to the wrapper strategies. Hybrid methods consider the good characteristics of more than one technique are joined to improve the significance of these techniques [5]. They learn which features contribute the best to the precision of the model, when the model is constructed. Feature subsets are enhanced by certain goodness criteria. Features are selected during training, but it is done separately in wrappers. The training data is used in a better way to evaluate subsets by not requiring a separate validation set. This method also supports fast training.

1.2. Objectives

In conceptual level, the concept learning task is divided into two subtasks: Selection of features and decision about feature combination. In this observation, the objective of this paper is outlined as below.
- To build up a proposed methodology with the hybrid framework of filters and wrapper and to perform experiments to evaluate the performance outcomes for continuous, categorical and hybrid data.
- To get rid of features which are of irrelevant and redundant.
- To reduce error and to boost the accuracy of classification results
- To select a subset of optimal features from the entire set.
1.3 Literature Review

The benefits of feature selection methods include good interpretability of models, take very short training computation time and reduce overfitting by improved generalization in classification models. In the most recent decades, several hybrid techniques based on Particle Swarm Optimization (PSO) have been put forward, with better outcomes. A combination method involving PSO and ACO (Ant Colony Optimization) was adopted in [6]. This hybrid method overcomes the demerits of PSO, by not converting the nominal into binary and get rid of the preprocessing phase. This algorithm was modified to PSO/ACO1 for optimizing both the continuous and nominal attributes and PSO/ACO1 for managing continuous data. These methods prove better performance in generating small and simple rule sets. Nekka suggested a hybrid search method by the combination of Harmony Search Algorithm (HSA) and Stochastic Local Search (SLS) for learning problems in machine learning [7]. This wrapper algorithm uses Support Vector Machine (SVM) classifier. The experimentation outcomes vindicate that HSA-SLS is giving better results than HSA and Genetic Algorithm (GA). Abdullah Saeed Ghareb et al. proposed a hybrid methodology to improve the crossover and mutation operators of GA in consideration of the benefits of filter techniques [8]. In the next step, subsets of different sizes and importance were developed using hybrid approaches. Hybrid approaches proved an effective improvement in terms of performance and time. Afef Ben Brahim et al. suggested a filter wrapper hybrid method by selecting a few number of features in the filter phase, based on instance learning [9]. In the second phase, a cooperative subset search was used as a wrapper and classification algorithm. Experimentation with cancer datasets proved that the hybrid method outperforms the state-of-the-art algorithms.

Two hybrid FS algorithms, which are simple and efficient combine the wrapper method using a Binary Differential Evolution (BDE) algorithm by Apolloni et al [10]. Experimentations with microarray datasets lessen the quantity of the chosen features effectively, resulting a better accurate classifiers than in the majority occasions and robustness. Ezgi et al. suggested a hybrid method by combining artificial bee colony optimization method with different evolution algorithms for classification task in feature selection [11]. This study reveals that the hybrid method enhances the classification results and run time. A two-step strategy is well-liked in feature selection on large dimensions of data, by employing filters to minimize the dimensions of features. A further two-phase in which Gain Ratio was adopted as a filter to choose the best scored dimensions and combined with backward elimination algorithm prior to executing PSO by Rosita et al. Outcomes vindicate that this method produced a better capability for the numerical datasets but not for nominal and microarray datasets with more execution time [12]. Huijuan Lu et al. suggested a hybridized FS algorithm using mutual information maximization and adaptive genetic algorithm combination for gene data to enhance the MIMAGA algorithm by employing four classifiers. Experimentation vindicates that the accuracy rates for all datasets proved to be higher than 80%, when demonstrated the robustness of the algorithm [13]. Mohamed et al. adopted a Hybrid Binary Bat Enhanced Particle Swarm Optimization Algorithm with bat algorithm and enhanced PSO for performance improvements in UCI datasets [14]. To enhance the K-Nearest Neighbour classifier (kNN), PSO is updated with the novel fitness function [15-16]. The outcomes have proved higher accuracy of very small feature subsets.

Literature study reveals that different hybrid methods have been proposed not only to solve feature selection issues but also to resolve optimization problems. Consequently, this paper proposes a methodology of the hybrid framework by combining the merits of filter and wrapper methods for FS problems in machine learning. In this paper, the filters chi square, F-statistic, and mutual information, and wrapper PSO are evaluated. The proposed methodology proves better outcomes against state of the art of the field mentioned in the literature survey using UCI and microarray datasets. The results obtained prove that the method IHFS is found to be the best regarding accuracy, and computation time when compared with the variety of methods in the existing literature. However, if its accuracy of classifiers is improved with the run time, it is considered as the top best and resulting better improvements for bigger dimensions. The organization of this paper is as follows. The detailed representation of the proposed hybrid framework is outlined in section 2. The experimentation outcomes of the proposed method and the comparative study with the relevant works are outlined in section 3. In the last part, the concluding observations and the information for future scope are presented in section 4.

2. METHOD AND MATERIALS
2.1. Methods of The Proposed Work

In this paper, a hybrid method is formulated from Chi square, F-Statistic, mutual information, and PSO algorithms to find solutions for FS problems in machine learning tasks.
2.1.1. Chi-Square Test (CHI)

CHI computes how the observed frequency data values fits well with the expected frequency data values of independent variables. So, it is named a "goodness of fit" test [17]. The chi square attribute weight operator measures the attributes weight regarding the label attribute by means of the chi square statistic. If the attribute weight is higher, the attributes are considered more relevant. Normally, the CHI sum up the squares of the discrepancies between the expected occurrence and the observed occurrence, to the expected frequency of outcomes [18]. The CHI test is a nonparametric stochastic procedure. There are some advantages of nonparametric techniques. It is fairly easy to compute. It measures data on the basis of classification. The CHI test can only be applied for labels of categorical variables. Hence, this study has taken CHI to achieve better results.

2.1.2. F - Statistic

F Statistic is a test in statistics in that under the null hypothesis, the test data have F distribution. One can measure it, if the dimension is numeric [19]. However, the class having one of C distinct nominal values is mentioned below.

\[ F(i) = \frac{\sum_{c=1}^{C} P_c (\bar{X}_c(i) - \bar{X}(i))^2}{\sum_{c=1}^{C} \sum_{e=1}^{E} (x_e(i) - \bar{X}_c(i))^2 / (n - C)} \]  \hspace{1cm} (1)

Where \( P_c \) - the sample indices partition \{1, 2, 3, ..., n\}, belonging to the partition indexed by \( c \), and \( \bar{X}_c(i) := \frac{1}{|P_c|} \sum_{k \in P_c} x_k(i) \). This formula corresponds to the fraction of the variation amid clusters and the mean variance inside the clusters. Larger relevance implies high valued.

2.1.3. Mutual Information (MI)

MI computes the frequent information amid any two features that are arbitrary in nature, if both the dimension and the class have nominal values [20]. Larger values show superior significance. A dimension set \( D = \{d_1, d_2, ..., d_n\} \) of an example set of \( n \) dimensions, the dimension reduction process establishes a subset \( P \) with \( k \) dimensions, where \( k \leq n \) and \( P \subseteq D \). Therefore, \( P \) the subset should yield equal or superior accuracy of classifiers when compared to the original dimension set. Specifically, the dimension reduction defines the subset of dimensions that improves MI with an output class \( C \) is \( MI(P, C) \) [3].

\[ MI(X, Y) = H(Y) - H(Y|X) \]  \hspace{1cm} (2)

where entropy \( H(\cdot) \), \( X \) and \( Y \) are random variables [21].

Definition 1. Dimension significance: Dimension \( d_i \) is more significant to the output class \( C \) then, dimension \( d_j \) in the perspective of the chosen subset \( P \) when,

\[ MI(d_i, P; C) > MI(d_j, P; C). \]  \hspace{1cm} (3)

2.1.4. PSO

The wrapper PSO is selected on account of a number of merits outlined as below.
- PSO is an evolutionary method based on population.
- Unlike many conventional techniques, it is an algorithm with fewer derivations and a low computation time.
- It is flexible to integrate with additional optimization techniques to formulate hybrid methods.

In 1995, James Kennedy and Russell Eberhart developed PSO, after being enthused by the biologist Frank Heppner's study of the bird flocking behaviour [22]. PSO is a methodology to discover solutions to problems and specified as a locus in a solution space of \( n \) dimensions. A cluster of arbitrary specks (solutions) initializes PSO search for optimum values, by modifying propagations. A large number of particles are chosen into action through this space randomly. They examine the "fitness" of these particles and their neighbours in each iteration to "emulate" thriving neighbours by advancing towards them [12]. There are different methods to group particles into challenging semi-independent flocks or a single global flock, including all the particles that belong. This seems to be very effective across the different problem domains.
2.2. The Proposed IHFS Algorithm.

The powers of filters and wrappers are combined in the improved hybrid Feature Selection algorithm [5-14]. A novel framework, named the Improved Hybrid Feature Selection (IHFS) Method is developed. The proposed IHFS algorithm's pseudocode is summarized in Figure 2. Lines 1-22 account for the phase-1 of IHFS. In the first phase, the two filter methods are selected as the initial partition, to eliminate the most unneeded or extraneous features. Chi square(CHI), F-Statistic(FStat), and Mutual Information (MI) are the central part of initial selection. These weighting functions are selected, based on the types of data attributes like numerical or continuous, nominal or discrete and class label values like FStat for numeric dimensions and MI for nominal dimensions. The methods outlined above, evaluate the importance of the features by evaluating for every feature of the dataset, the importance of the filter method with reference to the class label. The weights of features which contented the precise condition with reference to the weights of input features are selected for the datasets. The first selection of high features is done by CHI. The second selection of high features is done by either FStat or MI. From all existing features, these features are measured as the most relevant label or nominal or discrete and class label values like FStat for numeric dimensions.

For the optimal feature subset in the feature space $S$, every particle is needed to be modified by the two "fines" values for each input feature.

Figure 2. The pseudocode of the proposed IHFS algorithm

\begin{verbatim}
Input: Set of features $F = \{f_i, i = 1,...,n\}$
C: Class labels.
Output: $S$ Selected features
1. $S \leftarrow \{\}$
2. For each $f_i$ in $F$
3. Weight($f_i$) = Find Chi($f_i$, C)
4. End for
5. Sort weight in accordance with weight.
6. $f_{high}$ = Choose features with more weight.
7. Append $f_{high}$ to $S$. ($S \leftarrow S \cup \{f_{high}\}$)
8. if $F$ is Numeric
9. For each $f_i$ in $F$
10. Weight($f_i$) = Find FStat($f_i$, C) using Eqs(1).
11. End for
12. Sort weight in accordance with weight.
13. $f_i$ = Choose features with more weight.
14. Append $f_i$ to $S$. ($S \leftarrow S \cup \{f_i\}$)
15. else if $F$ is Nominal
16. For each $f_i$ in $F$
17. Weight($f_i$) = Find MI($f_i$, C) using Eqn 2.
18. End for
19. Sort weight in accordance with weight.
20. $f_i$ = Choose features with more weight.
21. Append $f_i$ to $S$. ($S \leftarrow S \cup \{f_i\}$)
22. End if
23. Divide $S$ into datasets for training and testing. Swarm initialized.
24. Specify the maximum iterations $I_{max}$
25. For the feature set $S$ generate particles $P$ their positions Pos($m$, $n$) and velocity Vel($m$, $n$)
26. Compute the maximum impedance peak $\text{max}_\text{imped}(m)$ corresponding to $m$ particles.
27. Describe the best local particle $l_{best}$ and find the best global particle $g_{best}$.
28. While ($t \leq I_{max}$)
29. For each particle $m = 1 : P$
30. Update inertia weight $w$, velocity, position.
31. $w = (w_0 - w_1) I_{max} - 1/I_{max}$
32. $V_{el}(m, n) = w(t) V_{el}(m, n) + C_1 r_1 (l_{best}(m, n) - Pos(m, n)) + C_2 r_2 (g_{best} - Pos(m, n))$
33. Pos($m$, $n$) = Pos($m$, $n$) + Vel($m$, $n$)
34. Within the lower and upper bounds limit the positions and velocity
35. End for
36. Update $l_{best}(m, n)$ and $g_{best}(m, n)$ accordingly.
37. $t = t + 1$
38. End while
39. Return the best particle as solution.
40. Cross Validation(CV) for the number of nearest neighbors $k_{min}$ and $k_{max}$
41. Training set having CV with values 1,2,3,...,$V$.
42. For each $k \in [k_{min}, k_{max}]$
43. Computation of average error rate $V$
44. $c_v$ - error rate, Optimal $k = \arg \{\min CV_k: k_{min} \leq k \leq k_{max}\}$
45. Classification results prediction performance for $S$ as final selected subset of features.
\end{verbatim}

An improved hybrid feature selection method for huge dimensional datasets (F.Rosita Kamala)
iteration. The particle swarm optimizer traces the subsequent the best result attained until now by a few elements in the population are referred gbest, globally best. Whenever specks participate as topological neighbours in the population, the finest result is called lbest, locally best. The optimal search using PSO with improvement in Velocity Vel(m, n) and the search space Pos(m, n) of every particle is given in lines 32-33. Finally, Lines 40-45 correspond to the consequential feature set is applied by adopting 10 fold Cross Validation(CV) and stratified sampling to advance the classifiers accuracy. This is the excellent tuning step to yield the finest feature set. IHFS is very efficient in eliminating the irrelevant and useless features. Because, the majority of the insignificant features are ruled out, subsequent to the first step of the filter method. It also eliminates the exponential calculation problem of wrapper approach in the subsequent step. The experimental results recommend that the IHFS works well on an extensive range of problems.

2.3. k-Nearest Neighbour Classification (k-NN)
One of the most common nonparametric methods is the k-NN[15]. The one and only parameter, k is the quantity of nearby neighbours, can be determined and implemented easily. The key performance of the classification process is the number of nearby neighbours. k-NN calculates the minimum distance called Euclidean distance, is a new entity of test samples from the training samples [16]. To enhance the learning performance, the variable k must be modified in accordance with the various datasets distinctiveness. To classify n samples, they are subdivided into one test instance and n-1 training instances in every iterative process of evaluation.

The subsequent steps are required to perform k-NN.
- Selecting k: After some iterations, k value is ascertained by the finest result.
- Calculating Displacement: Euclidean distance method is adopted.
- Sorting distance in ascending order: The minimum k distances are found by the distance sorted in ascending order.

3. RESULTS AND ANALYSIS
To assess the proposed methodology, an analysis is performed pragmatically. To accomplish analysis, an operational version of the proposed algorithm was executed in Java, with the RapidMiner technology. In turn to reach the best evaluation of the fitness function, a 10 fold stratified CV method is followed in all classifiers.

3.1. Datasets and Parameter Setting
In this study, eight datasets are used from UCI repository [23] to confirm the success, and efficiency of the algorithms is described in Table 1. The experiments are accomplished on datasets with more than 30 features. The algorithm IHFS is also experimented with six well-known microarray datasets [24] summarized briefly in Table 2.

<table>
<thead>
<tr>
<th>Datasets</th>
<th>#S</th>
<th>#Features Total</th>
<th>Numeric</th>
<th>Nominal</th>
<th>#C</th>
<th>Total</th>
</tr>
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<td>9</td>
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<tr>
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<td>4</td>
<td>0</td>
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<td>2</td>
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<tr>
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<tr>
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<td>3</td>
<td>0</td>
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<tr>
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<td>13</td>
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<tr>
<td>Lymph</td>
<td>148</td>
<td>18</td>
<td>3</td>
<td>15</td>
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</table>

The setting of parameters for PSO is as follows. Population size is 100. Upper limit number of generations is 30. The parameters like inertia weight, local best weight and global best weight are set to 1.0. Dynamic inertia weight is true so that the inertia weight is enhanced during execution. To evaluate the learning model, experiments are conducted on all instances with 10 - fold CV and adopted a k-NN technique to achieve a better performance. In kNN classifier, measure type is the 'Mixed Measure' and mixed measure is the 'Mixed Euclidean Distance'.
3.2. Performance Analysis

The CV maintains an apparent amount of data for testing and use the rest for training. The n fold CV classifies the sample data to n roughly equal divisions, one is used for testing, and the rest for training. Thus, the CV brings all instances to participate both in training and testing models. Classification performance is best interpreted by an appropriately named tool called the confusion matrix [25]. The classifier accuracy can be viewed in one of four possible ways. They are TP (True Positive), FP (False Positive), FN (False Negative) and TN (True Negative). The accuracy of the proposed IHFS algorithm is compared with the traditional methods of feature selection in Figure 3. The results of fitness functions Precision(Pr), and Recall(Rc) of the IHFS with different combinations are shown in Figure 4. Specificity is TN/(TN+FP). Precision is TP / (TP + FP). Recall is also given by TP / (TP + FN). Accuracy = [TP + TN]/[TP + FP + TN + FN]. The result of this study in Figure 3 depicts the most significant outcomes of the proposed algorithm. In almost all datasets the accuracy of the proposed study shows an enormous improvement than the traditional filter methods CHI, FStat, MI, and wrapper PSO. Depend on the outcomes obtained in Figure 4, the prospective method IHFS is found to be the best in terms of precision and recall in comparison with the different traditional methods in the literature like CHI, FStat, MI, and wrapper PSO and yields a massive improvement.

![Figure 3](image-url)  
Figure 3. Accuracy Comparison of the framework IHFS with filters and wrappers.

![Figure 4](image-url)  
Figure 4. Comparative study of Precision, and Recall of the IHFS with traditional existing methods.

3.3. Analysis of Performance Measure As Kappa

Cohens Kappa statistic is statistically strong [26]. It is considered as one of the evaluation measures in classification performance. It is supportive and acceptable to test, as an evaluation measure of the variable selection methods. Thus, the Kappa coefficient is beneficial, and it uses a smaller number of attributes. The proposed IHFS perfectly agrees with the above-mentioned Kappa interpretation is represented in Table 3. Kappa as an efficiency measure, enhances the strength of the feature selection strategies. This is because Kappa punishes randomness and not performance. The noisy features that do not affect the correct learning rate, but impact Kappa. Therefore, Kappa is the most appropriate measure, which selects the subsets
of smaller size and does not include the noisy features. A Kappa of a limit from 0.81 to 0.99 entails almost an ideal agreement. Ideal agreement would equate to a Kappa of one.

3.4. MAE (Mean Absolute Error) and RMSE (Root Mean Squared Error) analysis

The two error measures MAE and RMSE estimate the accuracy prediction [27]. MAE is defined as the mean of the difference of two points like actual and fitted points. It can take values from zero to infinity. The ideal fit is prevailed if MAE is zero. RMSE is a measure of error in absolute value. It calculates the difference square of positive and negative deviations to cancel one another out. The least value of RMSE implies a model of good significance. Table 4 depicts the MAE and RMSE outcomes.

3.5. Comparative Analysis of The Proposed Work To State-of-The-Art Feature Selection Methods

In summary, the outcomes in Table 5 and Table 6 well validate the efficiency of IHFS in terms of accuracy and CPU time respectively for UCI and large-scale microarray datasets. The datasets' accurateness achieved by this framework is compared in Table 5 with the results directly taken from each of the algorithms of the most relevant works in the recent literature. In glass, sonar, vehicle, and ionosphere datasets (numerical), the proposed IHFS outperforms the relevant study of [28, 21, 33, 12] by obtaining the most competitive results in terms of accuracy and CPU time. In chess dataset both the accuracy and run time are not superior over the results obtained in [21]. Even though the FSSMC methods in [31] giving significant computation time for splice dataset, the proposed IHFS outperforms the accuracy of the FSSMC methods with C4.5, and NB classifiers. The accuracy of IHFS also outperforms the ensemble classifier RCRF method used in [34] for splice dataset.

Table 3. Kappa Coefficient of IHFS.

<table>
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<tr>
<td>Iono</td>
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<td>Chess</td>
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<td>Splice</td>
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<tr>
<td>Leuk-4C</td>
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Table 4. MAE and RMSE in mikro

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<th>RMSE</th>
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</tbody>
</table>

Even though the methods used in [28–29] could give better accuracy for hepatitis dataset, there is no significance in computation time. But the proposed IHFS gives significant results in terms of both accuracy and run time for hepatitis dataset. In lymph, Leukemia 2C and MLL datasets even though the existing methods in [29] could give similar results for accuracy but could not give better results in terms of CPU time and the proposed IHFS is superior in terms of run time for these datasets. In Ovarian cancer dataset even though the existing methods used in [30] and [10] could give competitive results for accuracy but could not give better results in terms of CPU time. In CNS dataset the accuracy is not significant than existing methods of [32] but the IHFS method shows significant improvement in computing time over the methods in [29]. Though the methods used in [5] could give better run time for lung dataset, there is no significance in accuracy. But the proposed IHFS gives significant results for lung dataset in terms of both accuracy and run time. In Leukemia 4C microarray datasets the proposed IHFS outperforms the relevant study in [29] by obtaining the best competitive results in terms of accuracy and CPU time.

As shown from Table 5 that, out of 14 datasets the proposed method shows significantly better on twelve datasets and worse on two datasets in terms of accuracy. In terms of computing time, the proposed method has ten significantly better results, two worse results (categorical) and no significant difference on two results (lung and Hepatitis). The success of IHFS could be attributable to its ability to identify strongly relevant features. These features increase the likelihood to ascertain an optimal feature subset. Even though the accuracies of the performance of the classifier for microarray datasets are very competitive in Table 5, the strength of the IHFS algorithm can be vindicated in Table 6 by the rapid computation time of the microarray datasets than the state-of-the-art works in the recent study, proves the improved performance of the framework IHFS. Overall, the IHFS had the best performance.
4. CONCLUSION

The IHFS is explored in view of the advantages of both feature selection methods like filters and wrappers respectively. A drastic experimental study was conducted with datasets of UCI and microarray repository with more features. The performed outcomes are compared to measure the effectiveness of the proposed IHFS algorithm. The competence of the IHFS determines the best possible feature subsets with utmost efficiency, in comparison with other diverse up-to-date FS methodologies of the proven research findings with similar datasets. In view of this study, the IHFS has improved the classifier accuracy and computational time. The study findings are very noteworthy and have obtained a highly competitive methodology in feature selection problems, implying a better performance. For future studies, this framework can also be progressed to different types of dimension subsets of images, text and medical datasets. IHFS can also be customized to make hybridization with other PSO techniques.

REFERENCES


An improved hybrid feature selection method for huge dimensional datasets (F.Rosita Kamala)


